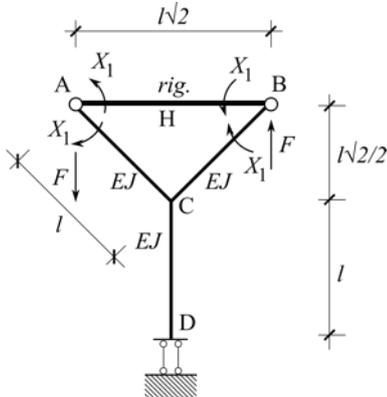


(Docenti: Prof. Ing. Riccardo Barsotti; Prof. Ing. Stefano Bennati)

Prova Scritta del 7 giugno 2022 – Sintesi della soluzione

Problema 1 [16/30].



AB) $N_0 = T_0 = 0$; $M_0 = 0$

AC) $N_0 = -F\sqrt{2}/2$; $T_0 = -F\sqrt{2}/2$; $M_0 = -Fs\sqrt{2}/2$

CD) $N_0 = T_0 = 0$; $M_0 = Fl\sqrt{2}$

$N_1 = 0$; $T_1 = \sqrt{2}/l$; $M_1 = -1 + s\sqrt{2}/l$

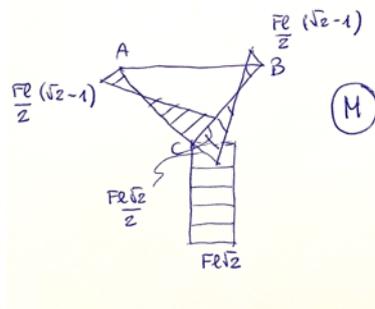
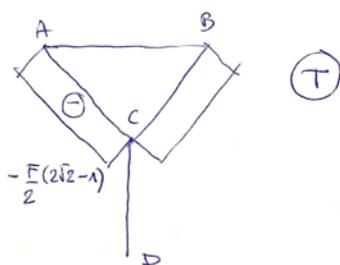
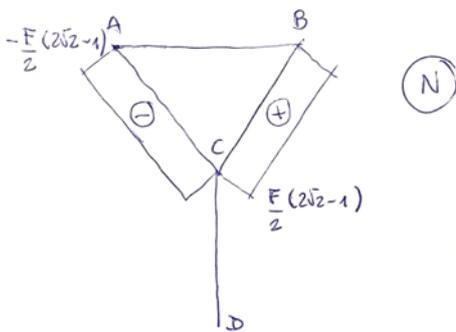
$N_1 = -1/l$; $T_1 = -1/l$; $M_1 = 1 - s/l$

$N_1 = T_1 = 0$; $M_1 = 0$

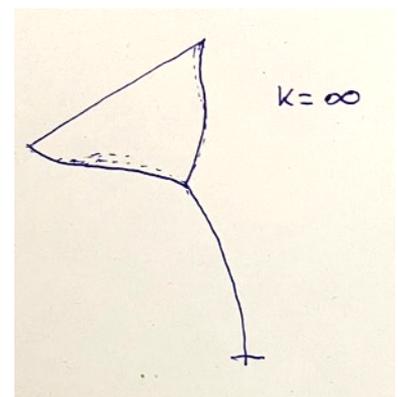
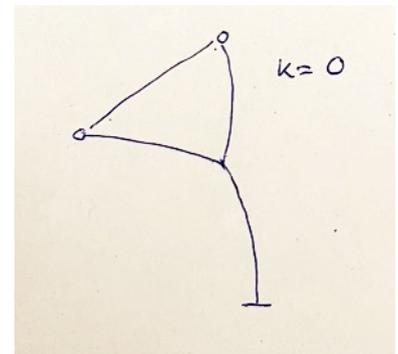
$$\eta_{10} = -\frac{Fl^2\sqrt{2}}{12EJ}, \quad \eta_{11} = \frac{l(2+\sqrt{2})}{6EJ}, \quad \eta_1 = -\frac{X_1}{k}$$

$$X_1 = Fl \left(\frac{\frac{l\sqrt{2}}{12EJ}}{\frac{l(2+\sqrt{2})}{6EJ} + \frac{1}{k}} \right)$$

Se $k = \infty$, $X_1 = Fl(\sqrt{2} - 1)/2$.



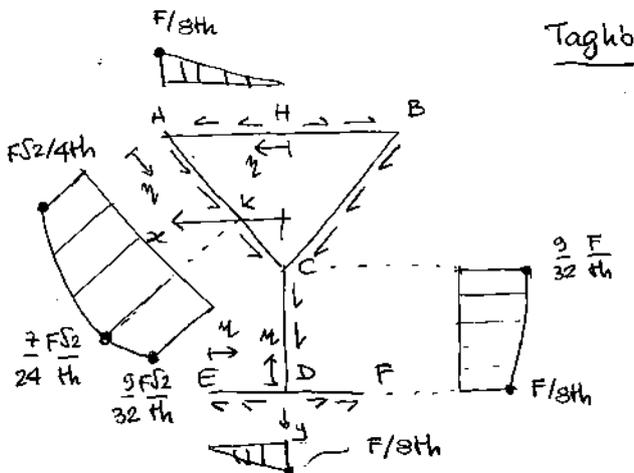
cds



deformate

(Docenti: Prof. Ing. Riccardo Barsotti; Prof. Ing. Stefano Bennati)

Problema 2 [16/30].



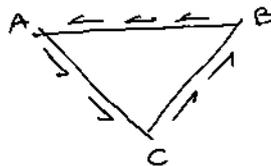
AH) $\tau_{xy} = \frac{F}{8th} y$

AC) $\tau_{xy} = \frac{3F\sqrt{2}}{16th^3} \left(\frac{1}{3}h^2 + \frac{hy\sqrt{2}}{3} - \frac{y^2}{4} \right)$

ED) $\tau_{xy} = -\frac{F}{4th^2} y$

DC) $\tau_{xy} = -\frac{3F}{16th^3} \left(\frac{2}{3}h^2 + \frac{4}{3}hy - \frac{y^2}{2} \right)$

Torsione

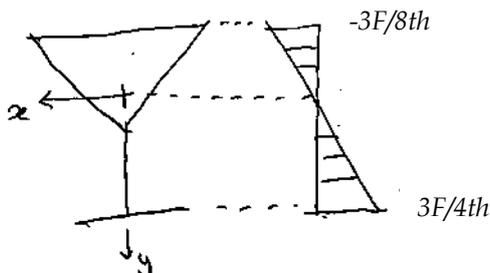


$M_t = Fh$

AB) $\tau = \frac{F}{4th}$

AC) $\tau = \frac{F\sqrt{2}}{2th}$
BC) $\tau = \frac{F\sqrt{2}}{2th}$

Flessione



3) Uno sforzo di taglio d'intensità $F = 13\sigma_0ht/10$ non è compatibile con il comportamento elastico.